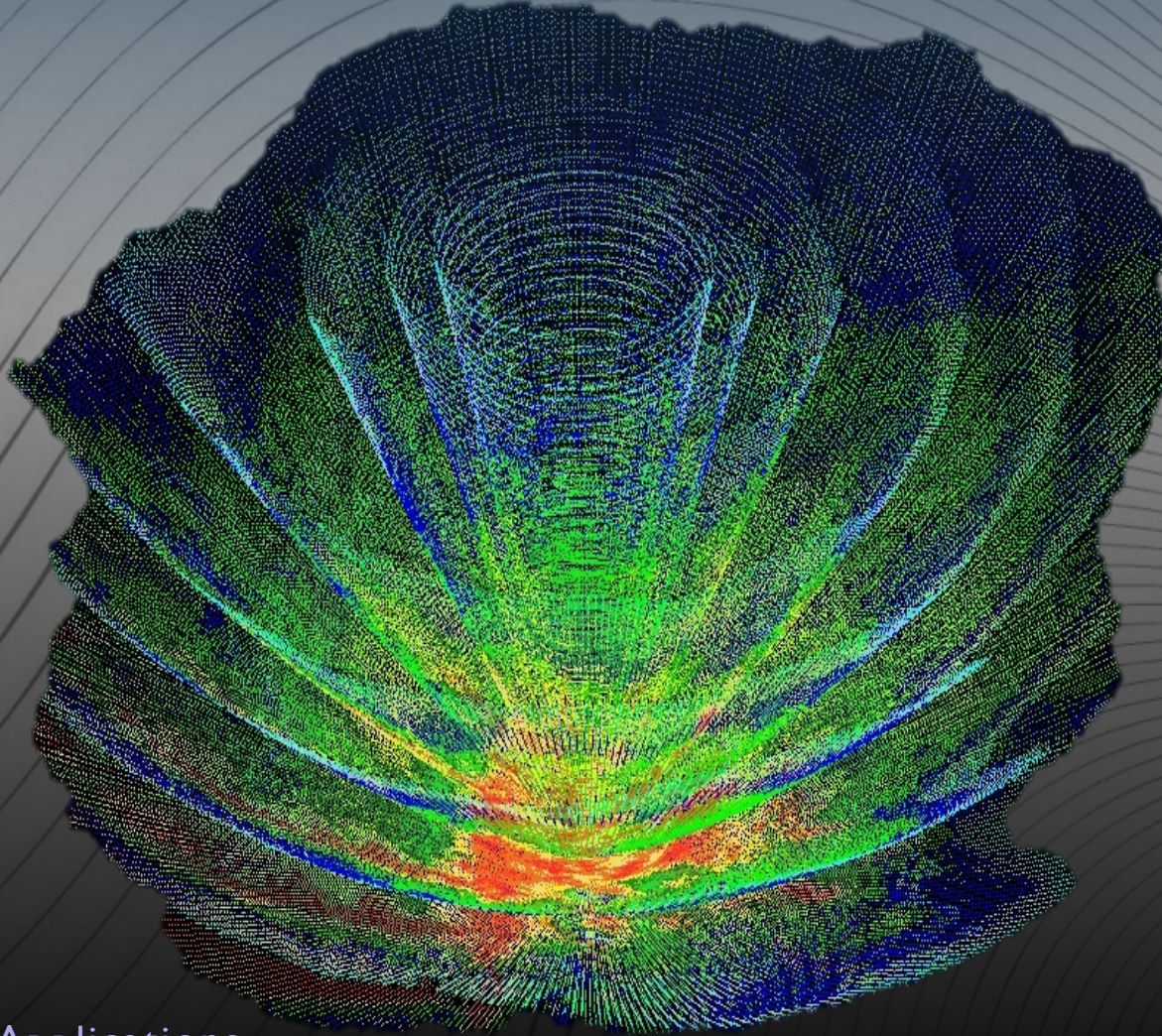


Probabilistic radar nowcast for hydrological modelling

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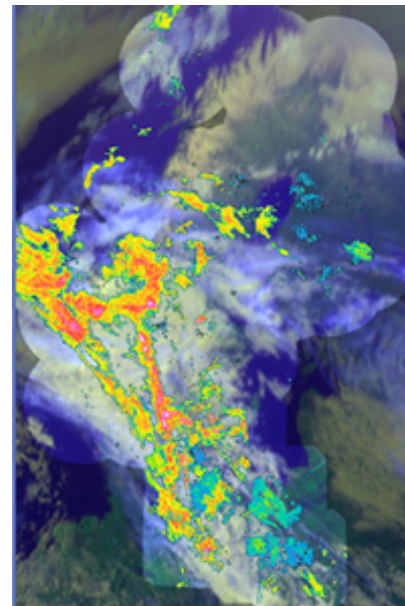


Agenda

- Purpose
- Deterministic radar nowcaster
- Advection uncertainty estimation
- Process uncertainty estimation
- Hydrological model
- Results

Purpose

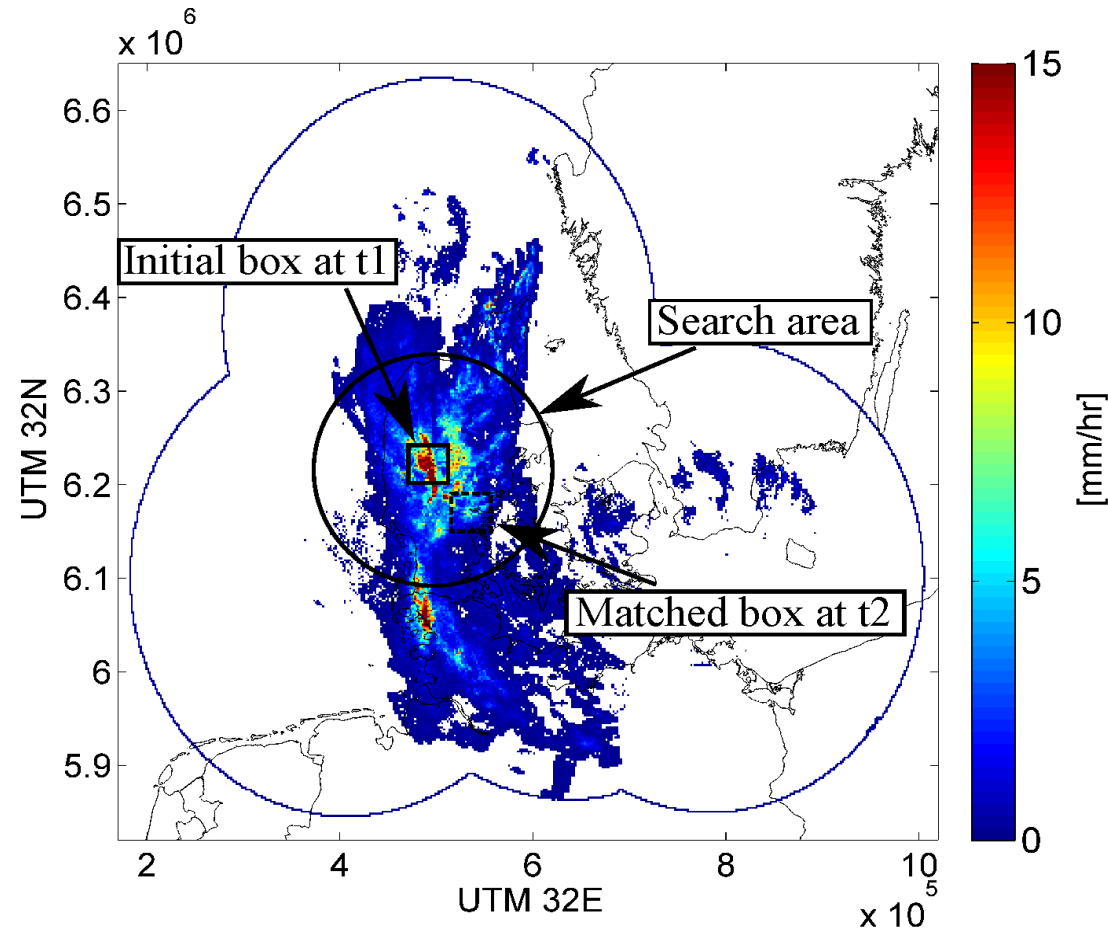
To create a probabilistic uncertainty model for Co-TREC radar based nowcast systems that separates advection and process uncertainty for hydrological modelling.



Deterministic radar nowcast: TREC vectors

TREC-vectors

- Divides area into a number of grid boxes
- Compute the maximum correlation within search area
- From the maximum correlation is the TREC vector found



(Rinehart and Garvey, 1978)

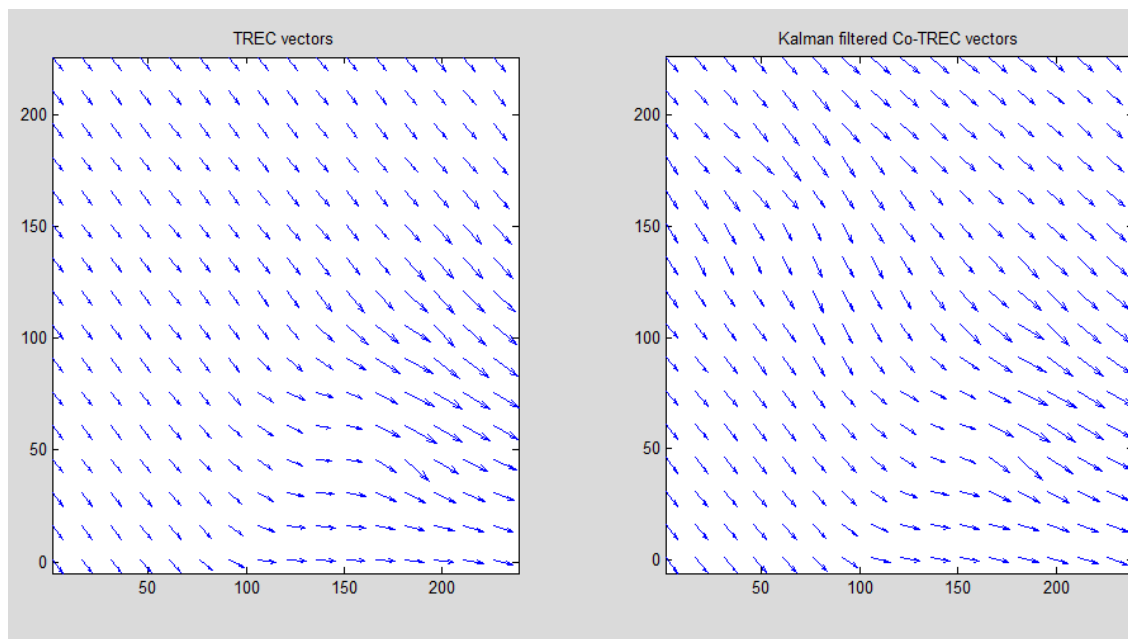
Deterministic radar nowcast: Kalman filtered Co-TREC vectors

Co-TREC (Li et al. 1995)

- Firstly deletes the apparently incorrect vectors
- Secondly uses variational analysis to smoothen the vector field spatially (minimization of a cost function under the constraint of continuity)

Kalman filtering

- Recursive filter to temporally smoothen the Co-TREC vectors
- Ensures that the advection vectors can not change dramatically from time step to time step due to “noise”

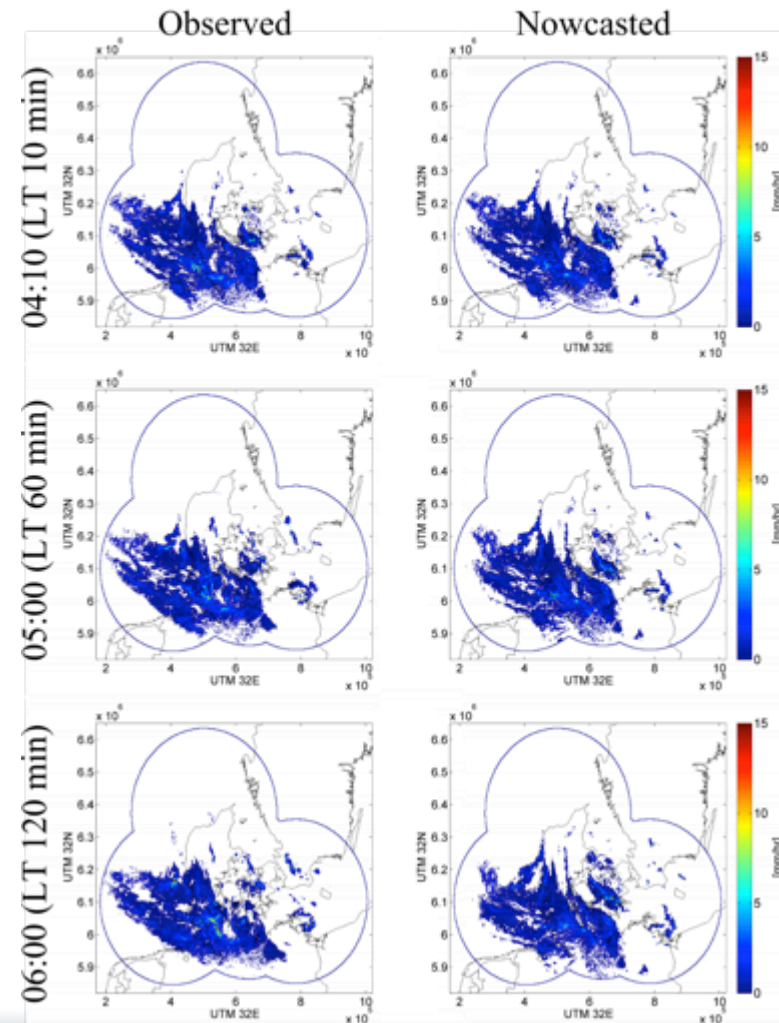


Deterministic radar nowcast: Extrapolation method

Advection scheme

- Advection scheme is a semi-Lagrangian interpolate once forward scheme
- Advection on a fine grid as scatter points
- Only one interpolation per lead time
- Smallest power loss on small scale features

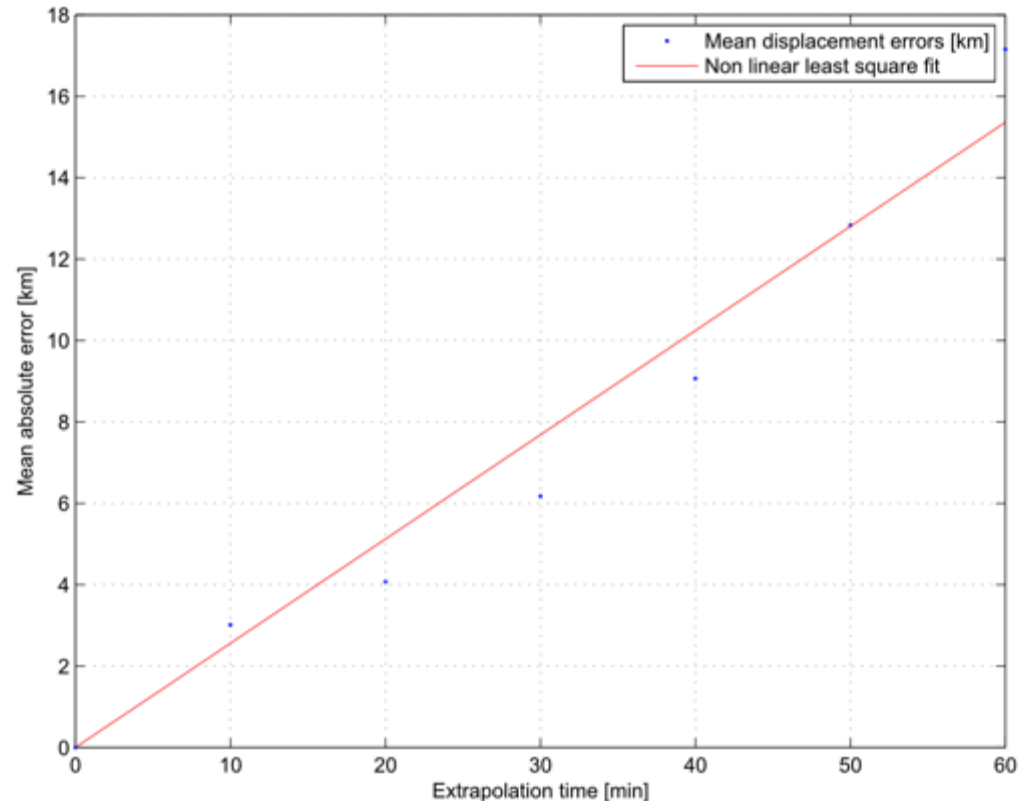
(Germann and Zawadzki 2002)



Probabilistic advection uncertainty component

- Advection error is assumed linear
- X and Y component of error is Gaussian distributed
- Not correlated in X and Y
- 2-dimensional Gaussian distribution with same standard deviation are used to perturb the advection field

$$J\downarrow(x,y),t,i = I\downarrow(x,y),t + \delta\downarrow(x,y),t,i$$

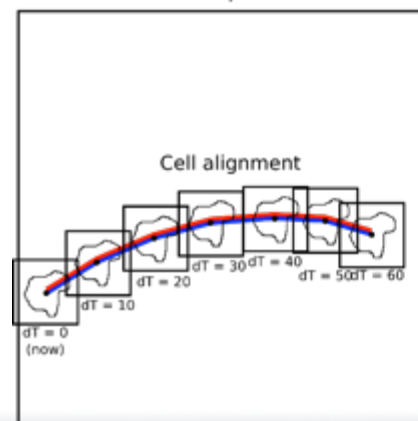
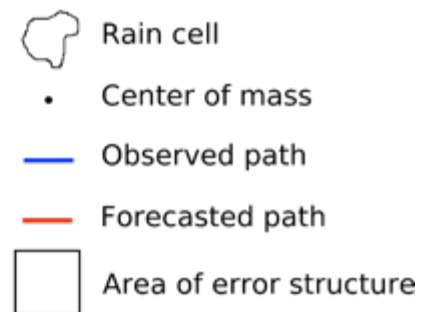
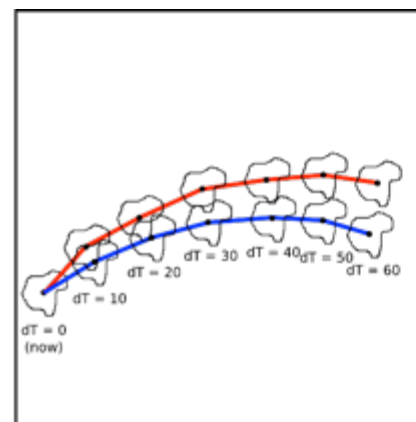


(Schmid et al. 2000)

Probabilistic process uncertainty component

- Historical knowledge of nowcast performance are used to perturb current nowcast.
- Rain cells found using Otsu's method are compared with the equivalent observed cells.
- The cells are aligned according to their center of masses to separate advection and process uncertainty.
- Error structure and perturbation according to the REAL method (Germann et al. 2009):

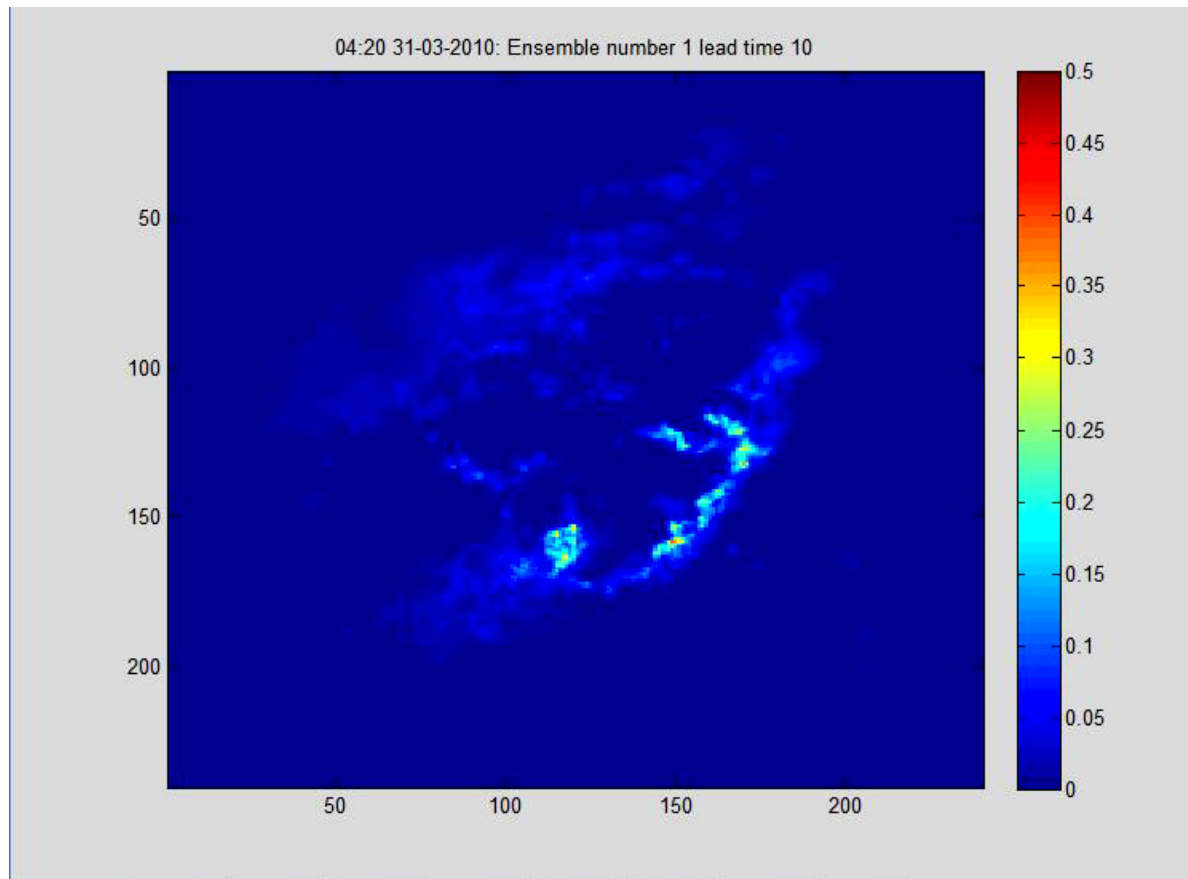
$$\Phi \downarrow t, i = R \downarrow t + \delta \downarrow t, i$$



Procedure

- Generate normal Co-TREC nowcast
- Translate image according to 2D Gaussian perturbation of advection field
- For every advection ensemble the process uncertainty is applied
- Result: Number of ensembles with both advection and process uncertainty

Probabilistic nowcast example

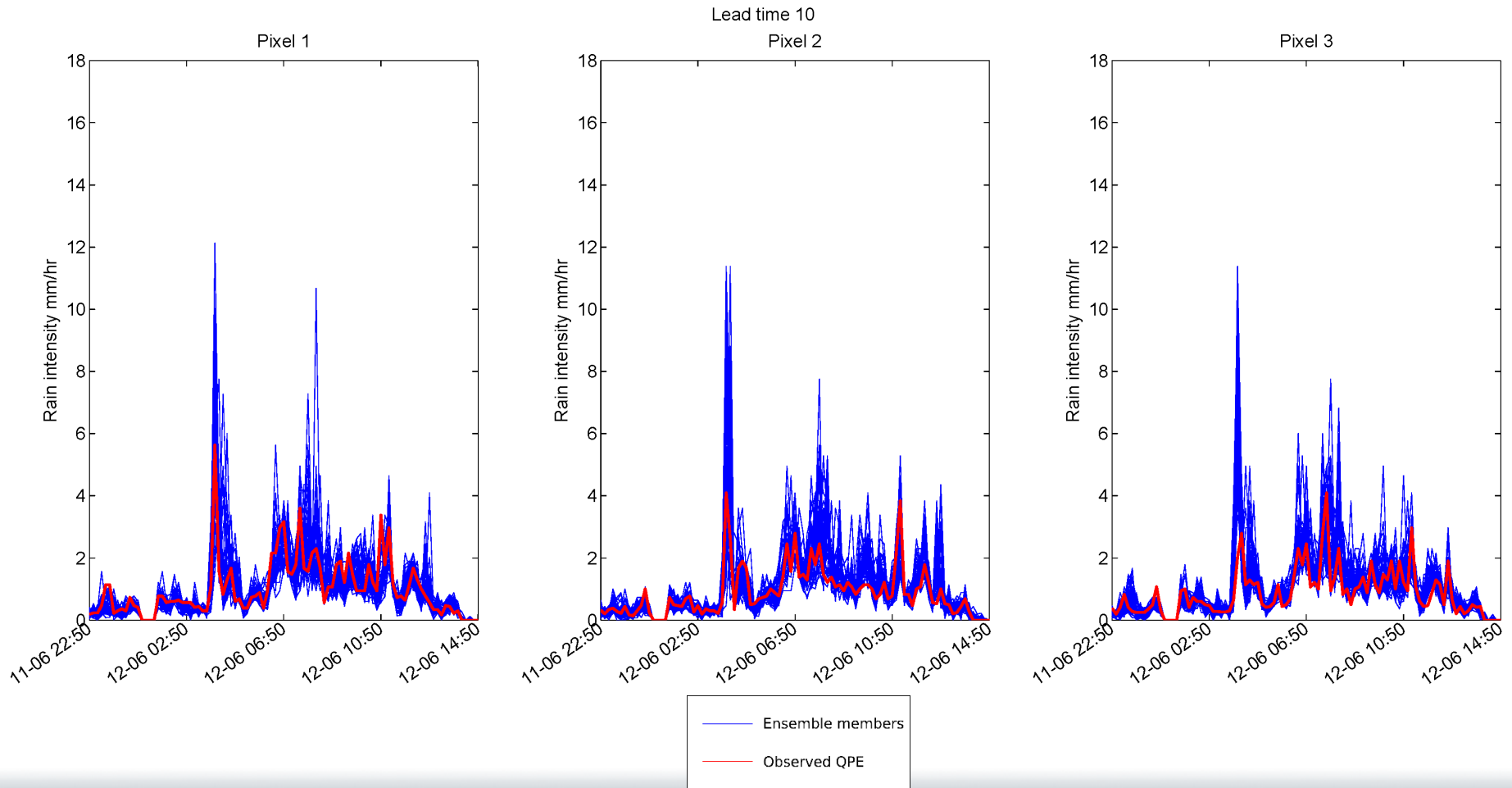


The urban catchment Frejlev

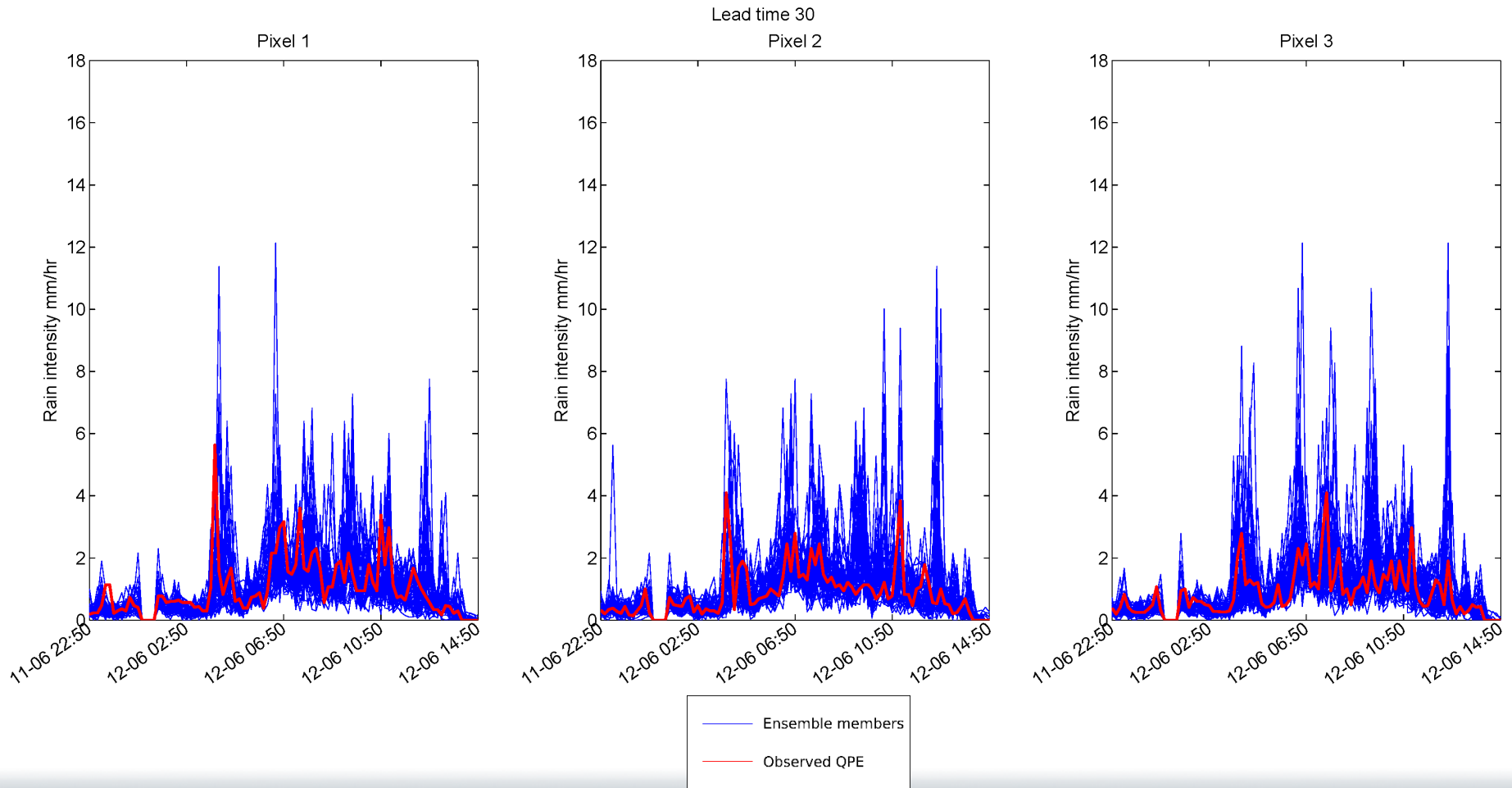
- Partly combined and partly separated sewer system
- 0.8 km² urban area
- 40% impervious area
- 2000 inhabitants
- Fully distributed and well calibrated runoff model based on the core of MOUSE/MIKE URBAN model
- Time/Area surface runoff model
- Dynamical pipe flow model (St. Venant equations)



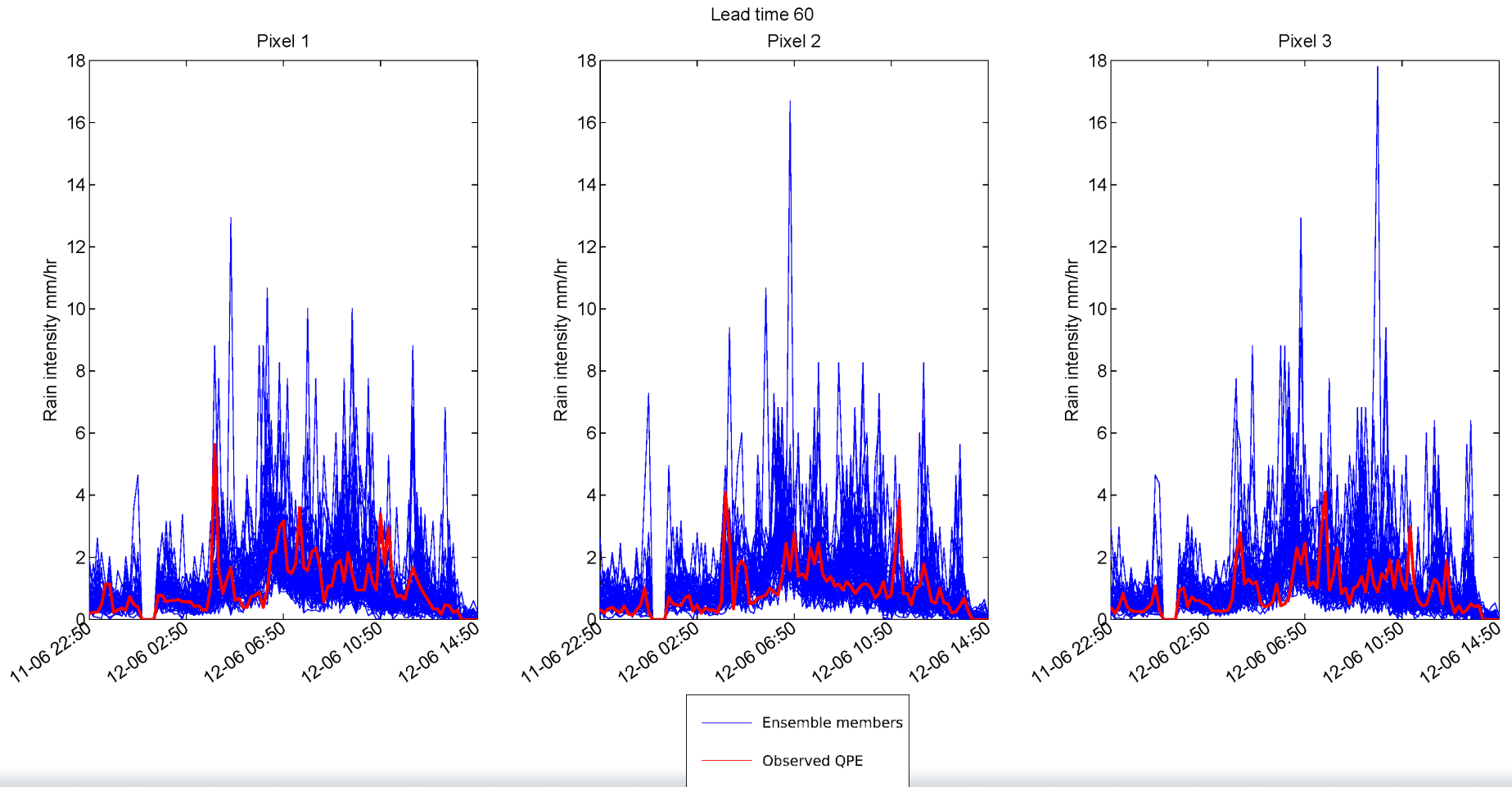
Example 1: Input rain fall prediction 10 min lead time



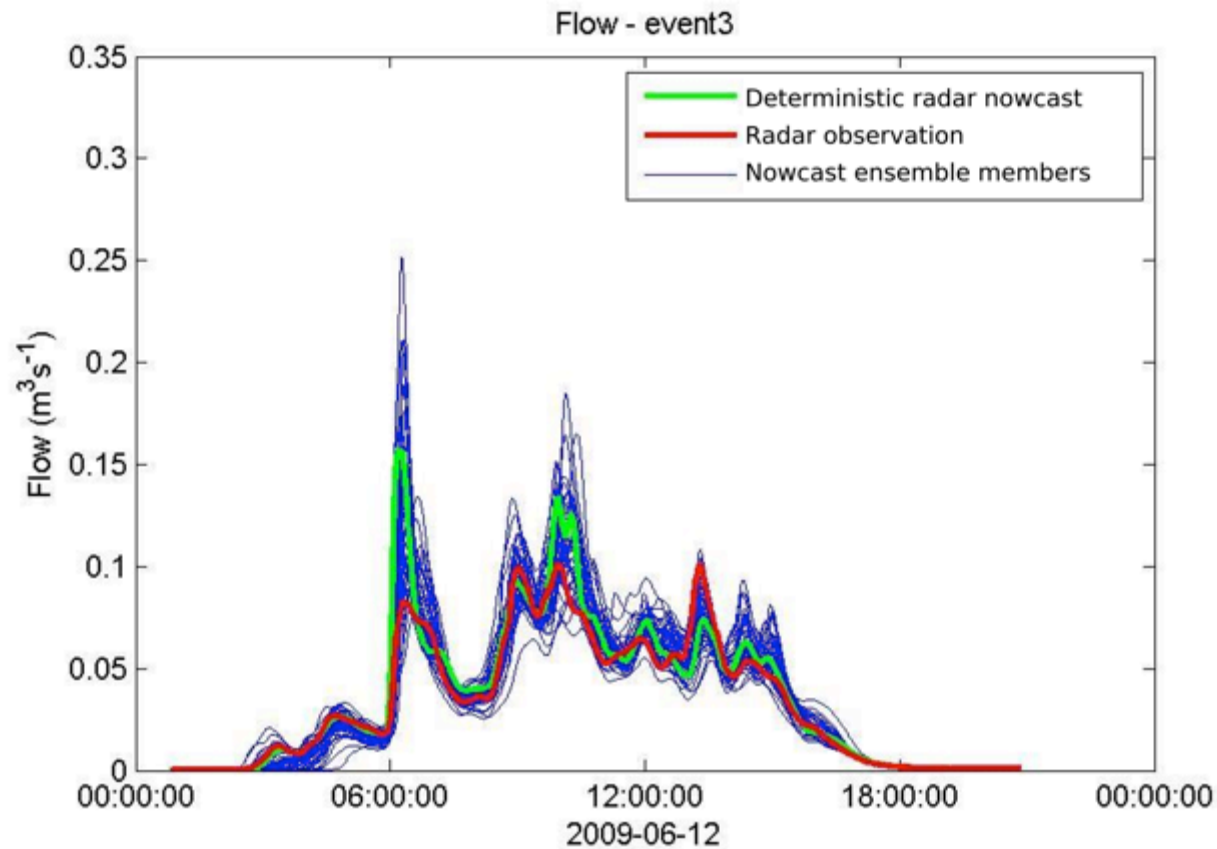
Example 1: Input rain fall prediction 30 min lead time



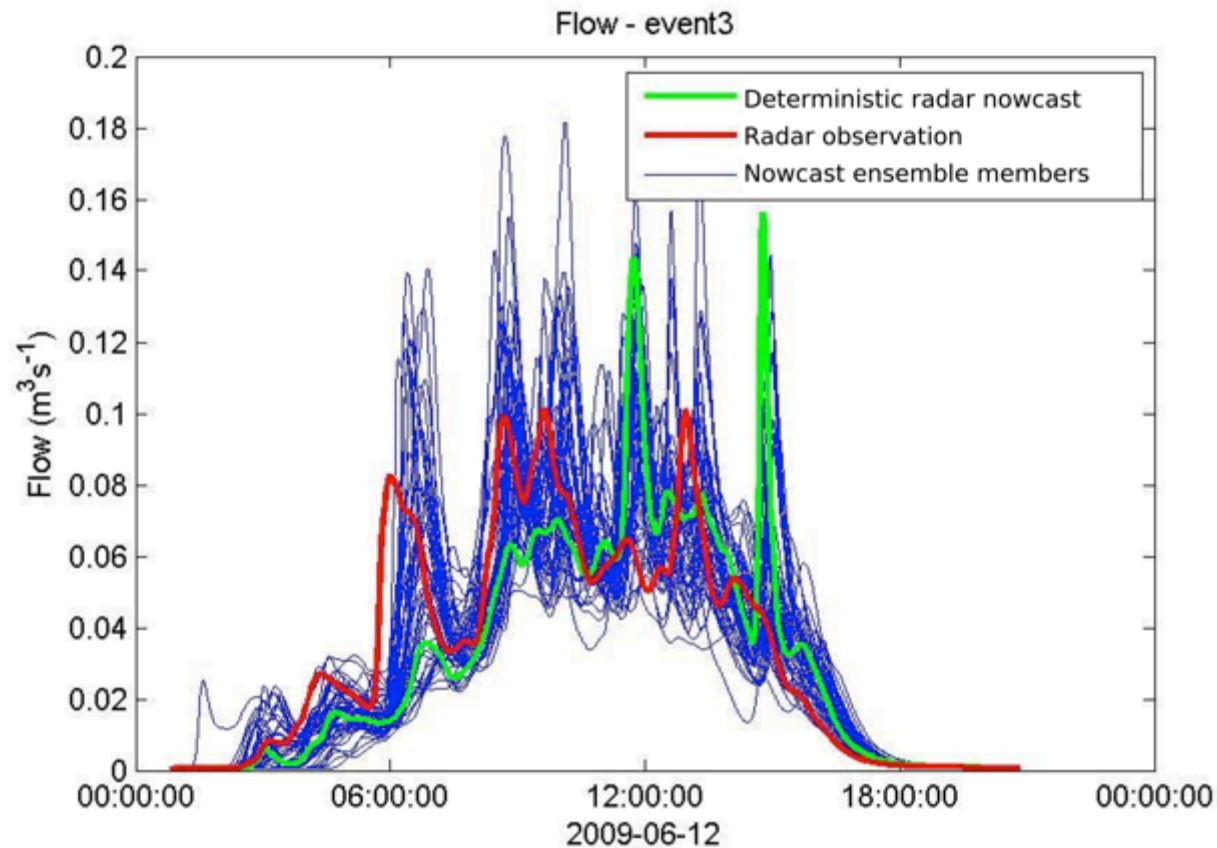
Example 1: Input rain fall prediction 60 min lead time



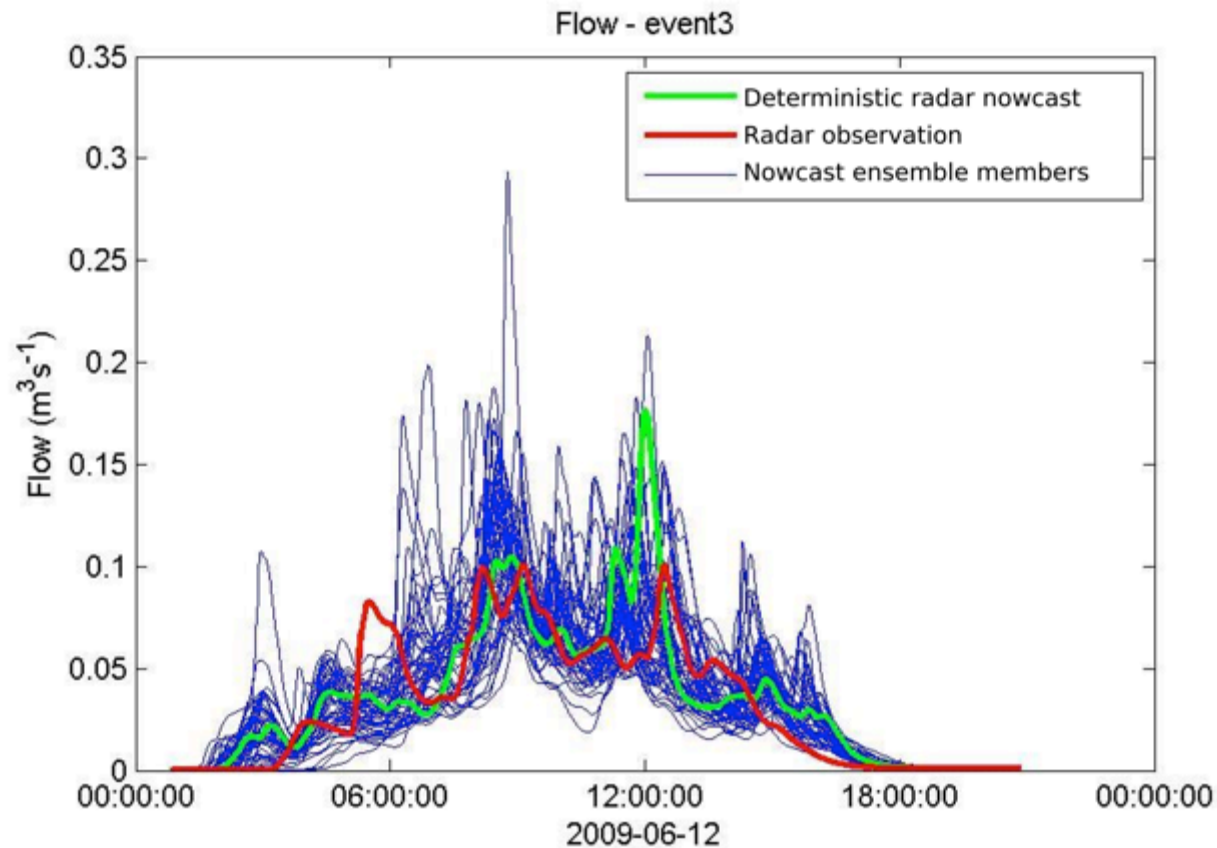
Example 1: Frejlev flow prediction lead time 10 min.



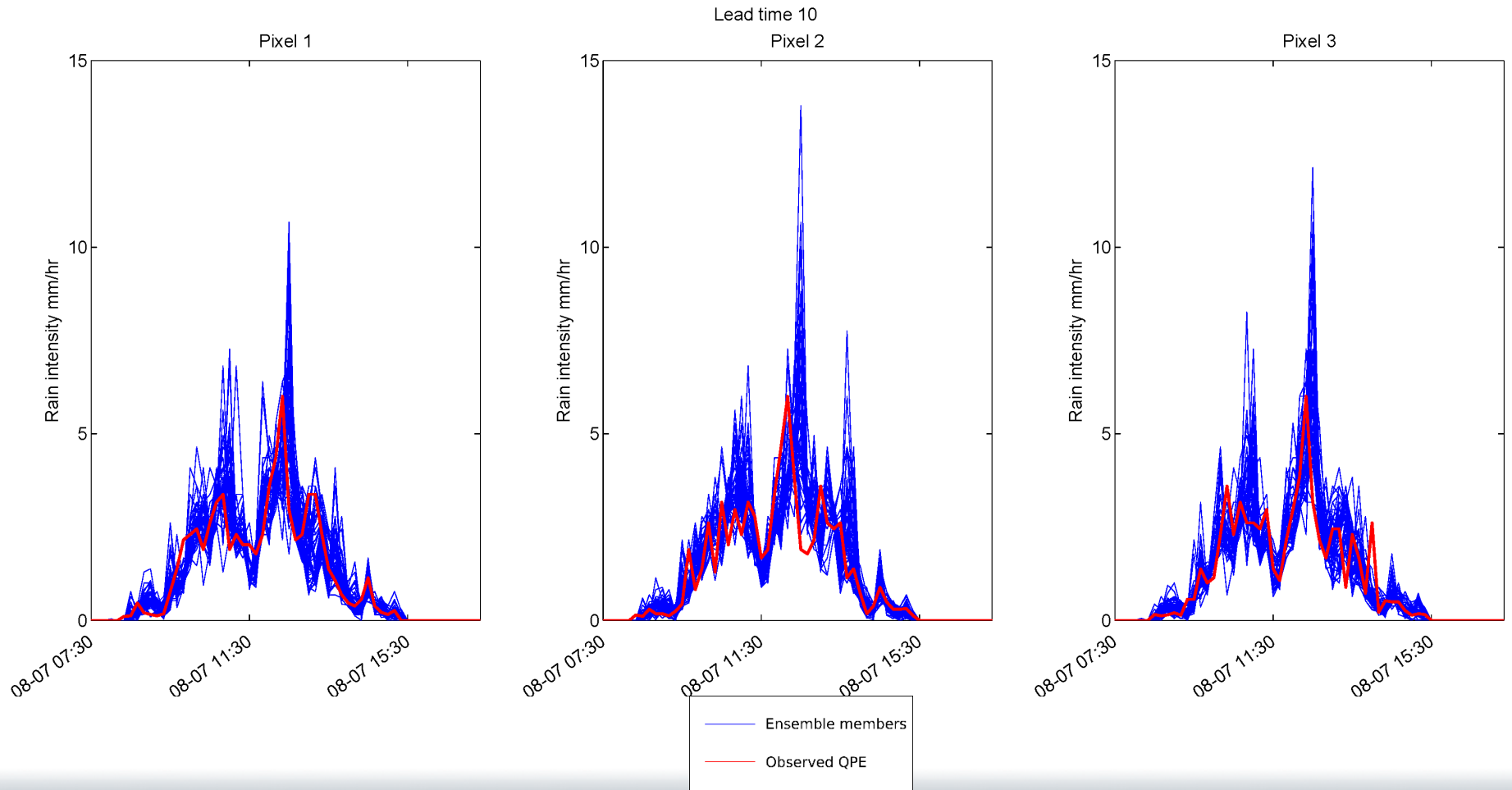
Example 1: Frejlev flow prediction lead time 30 min.



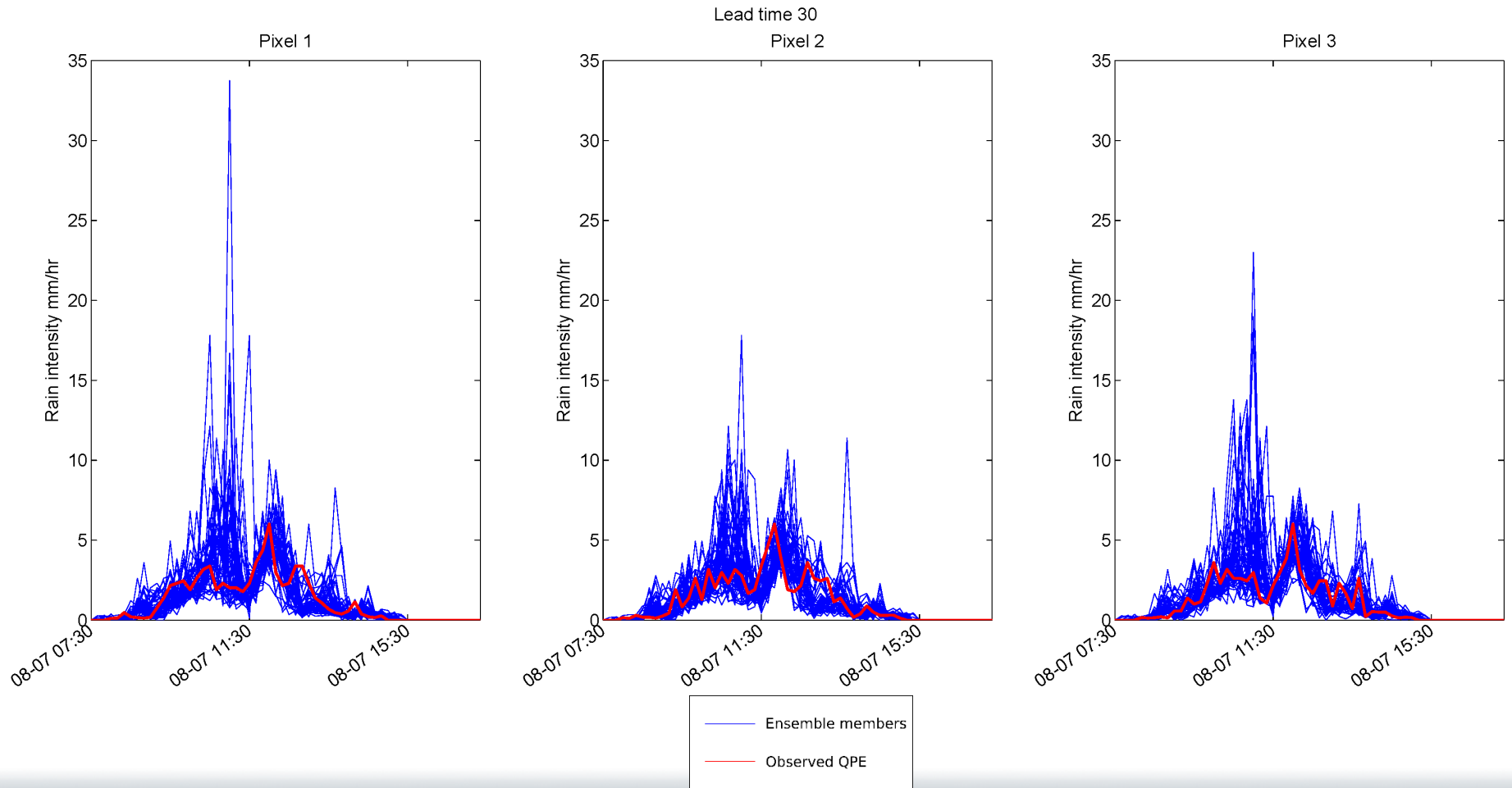
Example 1: Frejlev flow prediction lead time 60 min.



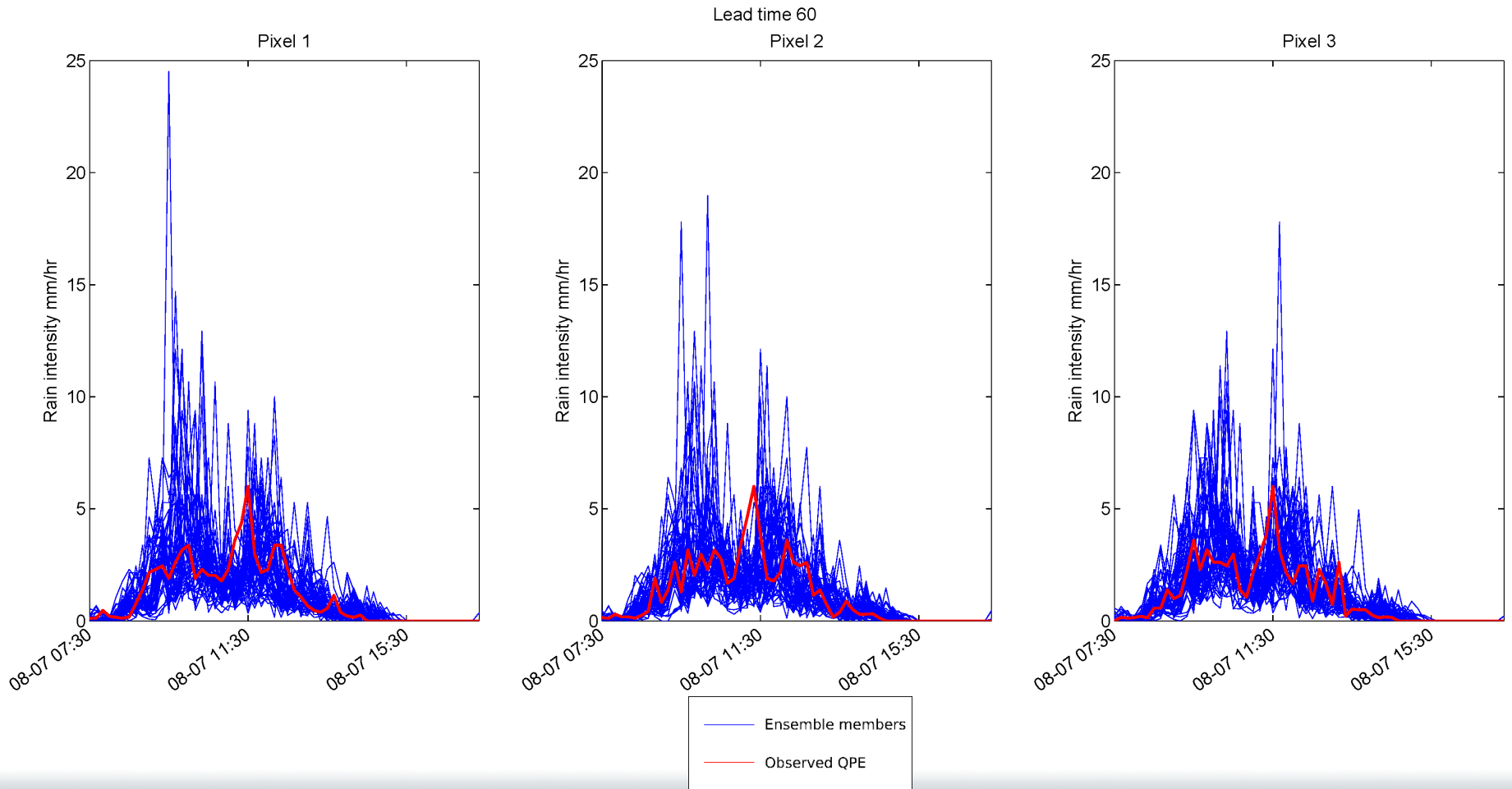
Example 2: Input rain fall prediction 10 min lead time



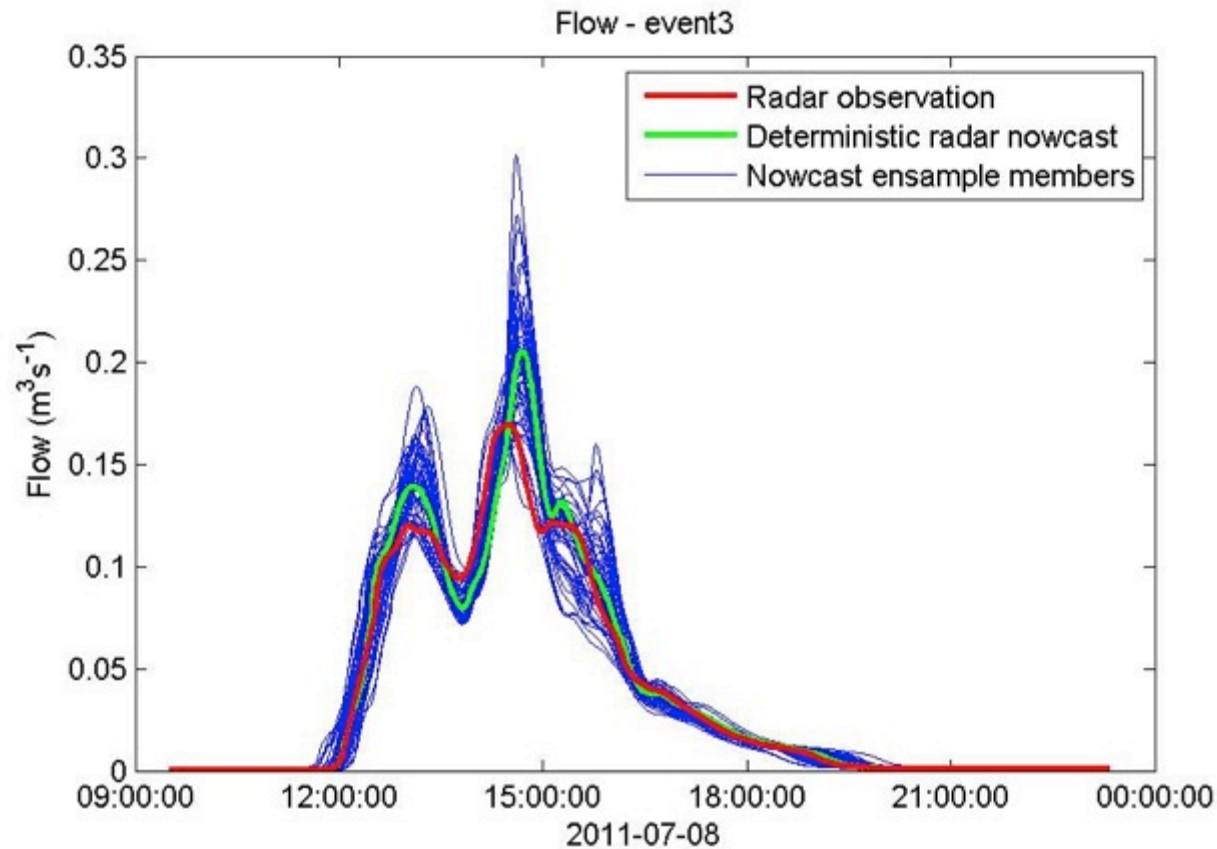
Example 2: Input rain fall prediction 30 min lead time



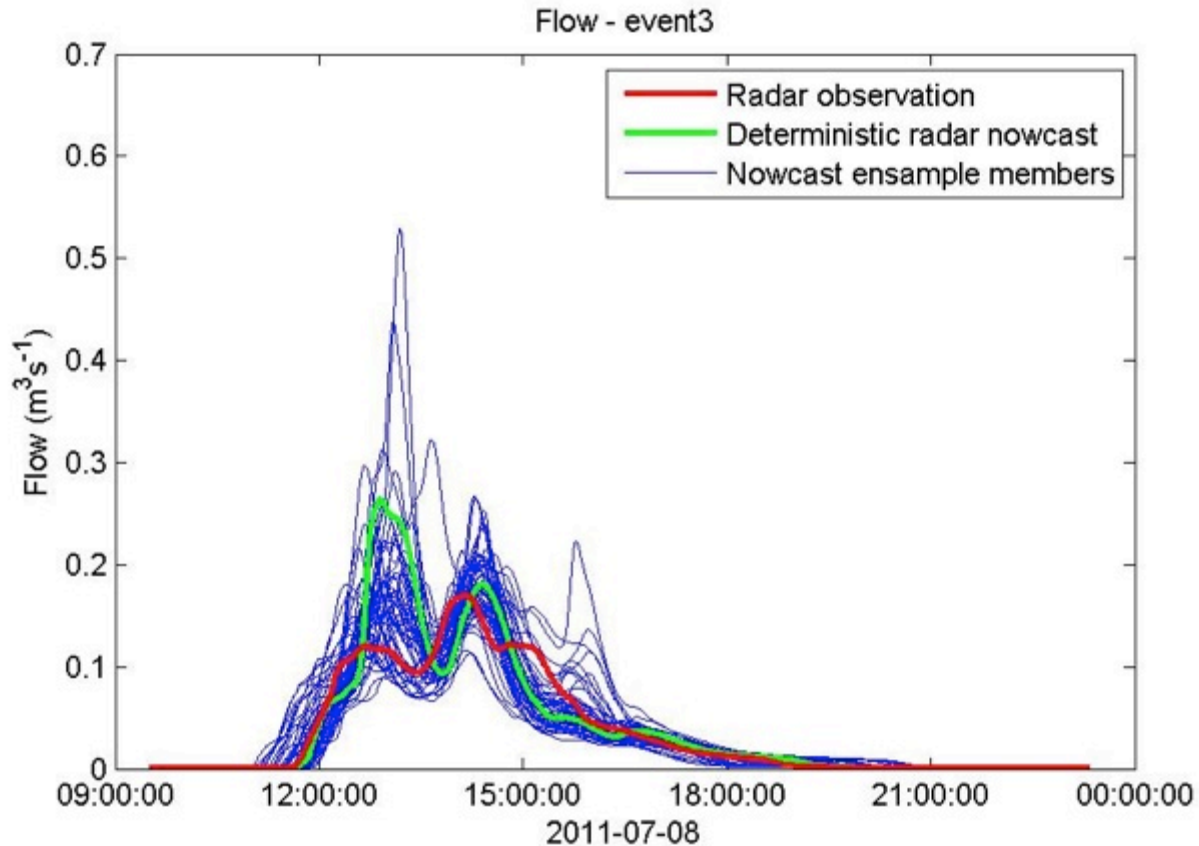
Example 2: Input rain fall prediction 60 min lead time



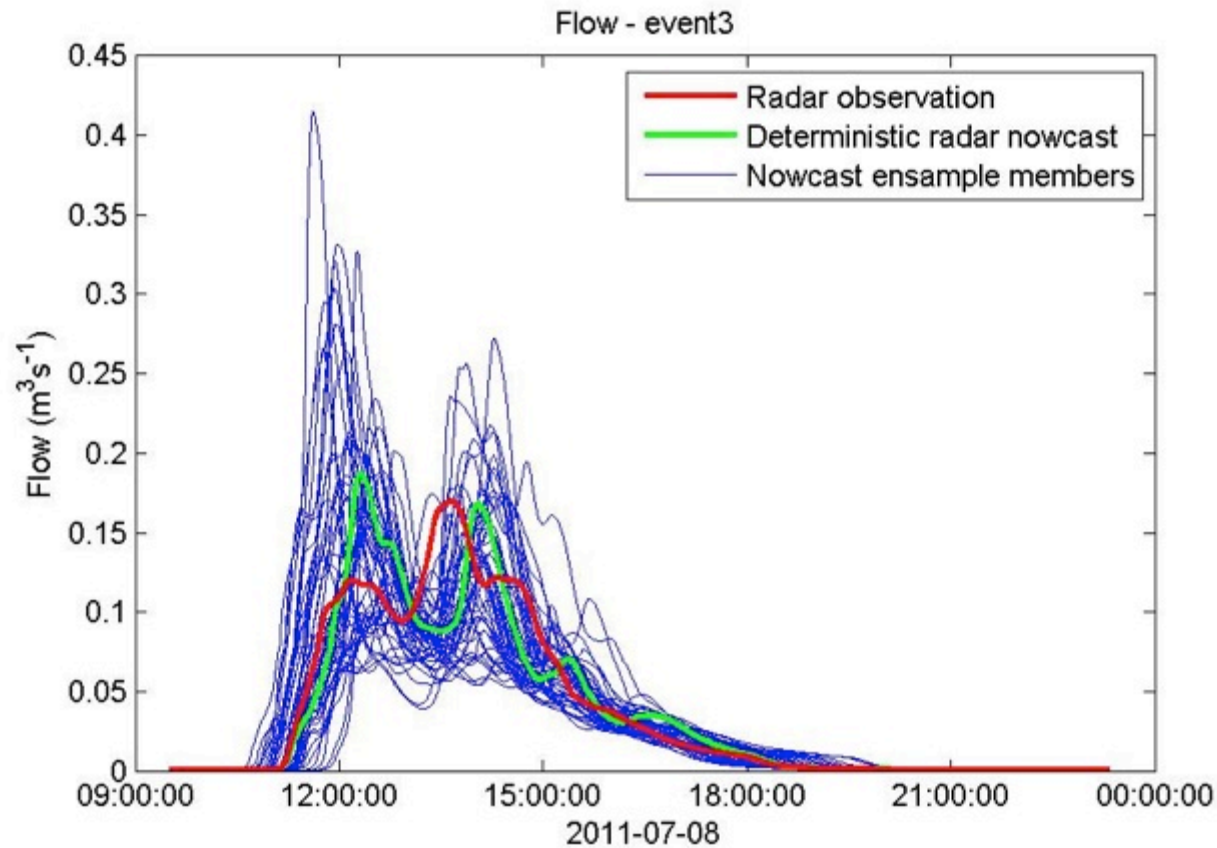
Example 2: Frejlev flow prediction lead time 10 min.



Example 2: Frejlev flow prediction lead time 30 min.



Example 2: Frejlev flow prediction lead time 60 min.





Questions?